

<p>Q1 A 1-kg dumb-bell is at rest on the ground. Calculate the force of gravity exerted by the dumb-bell on the earth.</p>	<p>Q2 Calculate the net force exerted by the dumb-bell on the earth in Q1.</p>
<p>Q3 The centre of the moon is about 385000 km from the centre of the earth. The mass of the moon = 7.36×10^{22} kg, and the mass of the earth = 5.98×10^{24} kg. Determine the gravitational field strength of the moon g_{moon} experienced by the earth.</p>	<p>Q4 Refer to the information in Q3. Determine the value of each ratio. (i) $\frac{g_{earth}}{g_{moon}}$ and (ii) $\frac{F_{earth.on.moon}}{F_{moon.on.earth}}$, where g stands for gravitational field strength, and F the magnitude of gravitational force.</p>
<p>Q5 There is a point between the earth and the moon where gravitational field due to both bodies is zero. Determine the distance of that point from the centre of the moon.</p>	<p>Q6 A satellite is in a stable circular orbit 250 km above the surface of the earth ($r_{earth} = 6380$ km). Calculate the orbital speed of the satellite.</p>
<p>Q7 Refer to Q6. Describe the effects on the motion of the satellite if the orbital speed is (i) reduced 'slightly', (ii) increased 'slightly', and (iii) increased 'greatly'.</p>	<p>Q8 Determine the orbital radius of a geostationary satellite.</p>
<p>Q9 The circular orbital speeds of satellite A and satellite B are v_A and v_B respectively, where $v_B = 2v_A$. Determine the value of each ratio. (i) $\frac{r_B}{r_A}$ and (ii) $\frac{T_B}{T_A}$, where r stands for orbital radius, and T orbital period.</p>	<p>Q10 A satellite is 36000 km above the surface of the earth. Estimate the increase in gravitational potential energy per kg of the satellite if its altitude is increased by 1 km.</p>